1) You are given a stress-strain curve (and the blow-up). You need to determine if a bar with a cross-sectional area  $A_0$  can support a load F in pure tension without showing permanent deformation.

a) Describe what steps you would take.

2) You are given a stress-strain curve (and the blow-up). The bar must support a load F in pure tension without showing permanent deformation. Determine the required with a cross-sectional area  $\rm A_0$ 

a) Describe what steps you would take.

3) You are given a stress-strain curve (and the blow-up). A bar with a cross-sectional area  $A_{\rm 0}$  must support a load F in pure tension without showing permanent deformation. Determine F.

a) Describe what steps you would take.

4) You are given a stress-strain curve (and the blow-up). A bar (length =  $L_0$ ) is subjected to a stress between greater than the yield strength but less than the ultimate tensile strength. You need to determine if the length under load ( $L_F$ ) will exceed a critical value ( $L_C$ ).

a) Describe what steps you would take.



Using the stress-strain curves above determine the ductility as either

- $\Box$  the strain after failure
- $\Box \qquad \text{the strain at UTS}$
- $\Box$  the strain at YS

Report Values. Justify your answer and explain why the other two options are wrong.



Using the stress-strain curves above determine the modulus based on the following methods

- $\Box$  the initial slope
- $\hfill\square$  the slope of the line used to determine the yield strength.

Report Values and explain both consistencies and inconsistencies which occur.



Using the stress-strain curves above determine the max strain as either

- $\Box$  the strain after failure
- $\Box \qquad \text{the strain at UTS}$
- $\Box$  the strain at YS

Report Values. Justify your answer and explain why the other two options are wrong.



Using the stress-strain curves above determine the UTS as either

- $\Box$  the stress at failure
- $\hfill\square$  the stress at which permanent deformation begins
- $\Box$  the stress at which the permanent strain is equal to  $2x10^{-3}$
- $\Box$  the stress at which the stress-strain curve becomes non-linear
- $\Box$  the maximum stress

Report Values. Justify your answer and explain why the other options are wrong.



Using the stress-strain curves above determine the Yield Strength as either

- $\Box$  the stress at failure
- $\hfill\square$  the stress at which permanent deformation begins
- $\Box$  the stress at which the permanent strain is equal to  $2x10^{-3}$
- $\hfill\square$  the stress at which the stress-strain curve becomes non-linear
- $\Box$  the maximum stress

Report Values. Justify your answer and explain why the other options are wrong.



A bar of material has an initial length of 80cm and a cross-sectional area of 2.4cm<sup>2</sup>. Compare the force required, length under load, and the increase in yield strength (compared to original as shown above) for materials created by work hardening the above material to 25% and 25% of max.



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